Physics

(ii) The object distance u = -5 cm. Then from Eq. (9.7),

$$\frac{1}{v} + \frac{1}{-5} = \frac{1}{-7.5}$$

or $v = \frac{5 \times 7.5}{(7.5-5)} = 15$ cm

EXAMPLE 9.3

This image is formed at 15 cm behind the mirror. It is a vir<mark>tual</mark> image.

Magnification $m = -\frac{v}{u} = -\frac{15}{(-5)} = 3$

The image is magnified, virtual and erect.

Example 9.4 Suppose while sitting in a parked car, you notice a jogger approaching towards you in the side view mirror of R = 2 m. If the jogger is running at a speed of 5 m s⁻¹, how fast the image of the jogger appear to move when the jogger is (a) 39 m, (b) 29 m, (c) 19 m, and (d) 9 m away.

Solution

From the mirror equation, Eq. (9.7), we get

$$v = \frac{fu}{u - f}$$

For convex mirror, since R = 2 m, f = 1 m. Then

for
$$u = -39$$
 m, $v = \frac{(-39) \times 1}{-39 - 1} = \frac{39}{40}$ m

Since the jogger moves at a constant speed of 5 m s⁻¹, after 1 s the position of the image v (for u = -39 + 5 = -34) is (34/35)m. The shift in the position of image in 1 s is

$$\frac{39}{40} - \frac{34}{35} = \frac{1365 - 1360}{1400} = \frac{5}{1400} = \frac{1}{280}$$
 m

Therefore, the average speed of the image when the jogger is between 39 m and 34 m from the mirror, is (1/280) m s⁻¹

Similarly, it can be seen that for u = -29 m, -19 m and -9 m, the speed with which the image appears to move is

$$\frac{1}{150}$$
 m s⁻¹, $\frac{1}{60}$ m s⁻¹ and $\frac{1}{10}$ m s⁻¹, respectively.

KAMPLE 9.4

Although the jogger has been moving with a constant speed, the speed of his/her image appears to increase substantially as he/she moves closer to the mirror. This phenomenon can be noticed by any person sitting in a stationary car or a bus. In case of moving vehicles, a similar phenomenon could be observed if the vehicle in the rear is moving closer with a constant speed.

9.3 **Refraction**

When a beam of light encounters another transparent medium, a part of light gets reflected back into the first medium while the rest enters the other. A ray of light represents a beam. The direction of propagation of an obliquely incident ($0^{\circ} < i < 90^{\circ}$) ray of light that enters the other medium,

316